



# End-to-end modelling of DiffServ mechanisms

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# Setting

- Evaluating service differentiation
  - achieved by packet level mechanisms
- Study of how bandwidth is divided between,
  - TCP (elastic) and non-TCP (real-time) flows
  - as a function of number of flows not load

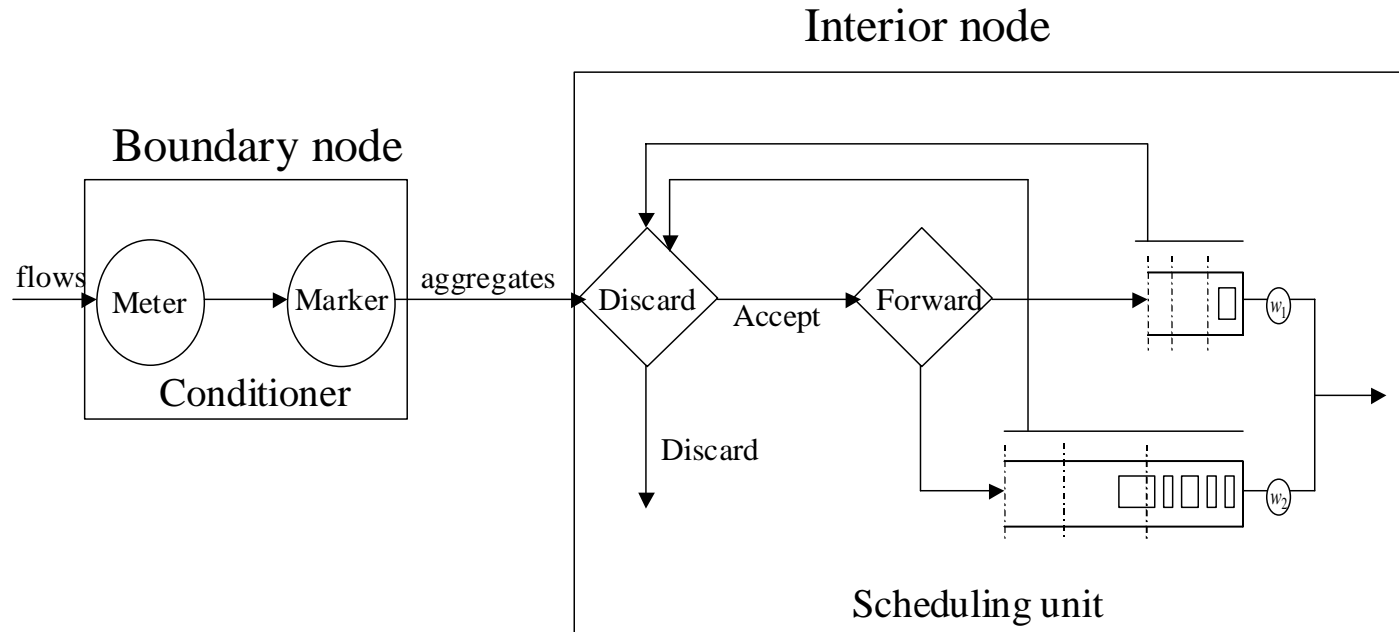


# Network model

- 2 delay classes
  - Real-time (rt) and elastic non-real time (nrt)
- $I$  priority levels,
  - $I$  highest, 1 lowest
- $L$  flow groups
  - Grouped according to weight  $\varphi(l)$  and delay class
  - $n_l$  flows in group  $l$
- Network with one link
  - Capacity  $C = 1$



# DiffServ model

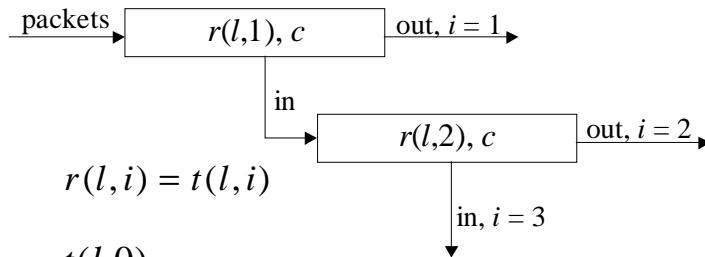




# Metering

- **Token bucket:**

- Packets are marked in-profile if the bucket holds enough tokens upon arrival, out-of-profile otherwise



$$r(l, i) = t(l, i)$$

$$t(l, 0) = \infty$$

$$t(l, i) = \varphi(l) a(i), \quad i = 1, \dots, I - 1$$

$$t(l, I) = 0$$

$$a(i) = 2^{I/2 - i - 0.5}$$

- **Exponential weighted moving average:**

- Measured bit rate of previous time instants are exponentially dampened by a time parameter  $\alpha$  and the time interval between the measurements

$$mbr(k, j) = \frac{\ln(1 - \alpha)}{\ln(1 - \alpha / \rho(k, j))}$$

$$\rho(k, j) = \alpha + \rho(k, j)(1 - \alpha)^{N_{kj}}$$

$$t(l, i) \leq mbr(k, j) < t(l, i - 1)$$



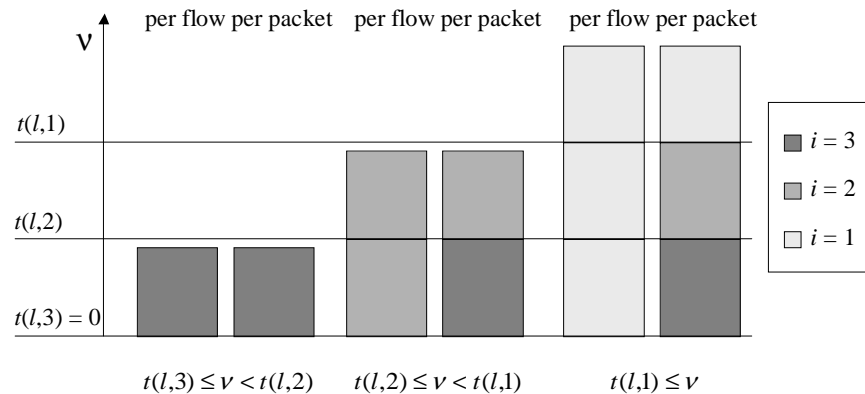
# Marking

- **Per packet marking:**

- Only the packets of a flow that exceed the marking threshold are marked to lower precedence level

- **Per flow marking:**

- Once the measured load of a flow exceeds a marking threshold, all packets of the flow are marked to the same precedence level

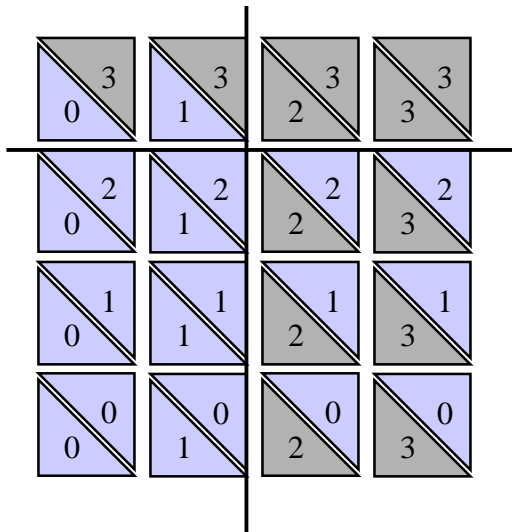




# Discarding

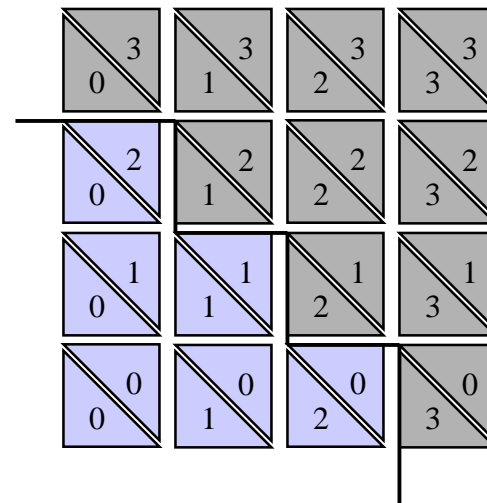
- **Independent**

- Separate thresholds for each delay class buffer



- **Dependent**

- Thresholds as a function of buffer contents of both delay classes

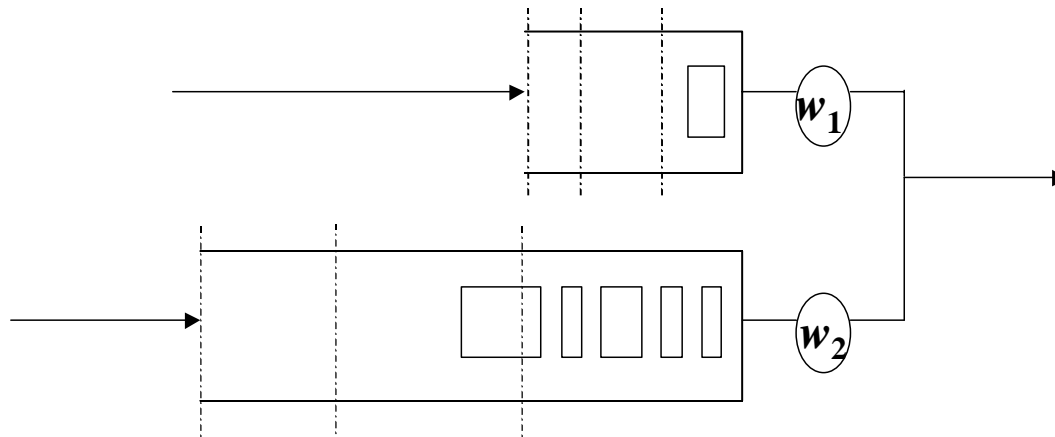




# Forwarding

- **Priority queuing**
  - FIFO, 2 buffers
  - **Weights:**
  - $w_1 = 1, w_2 = 0$

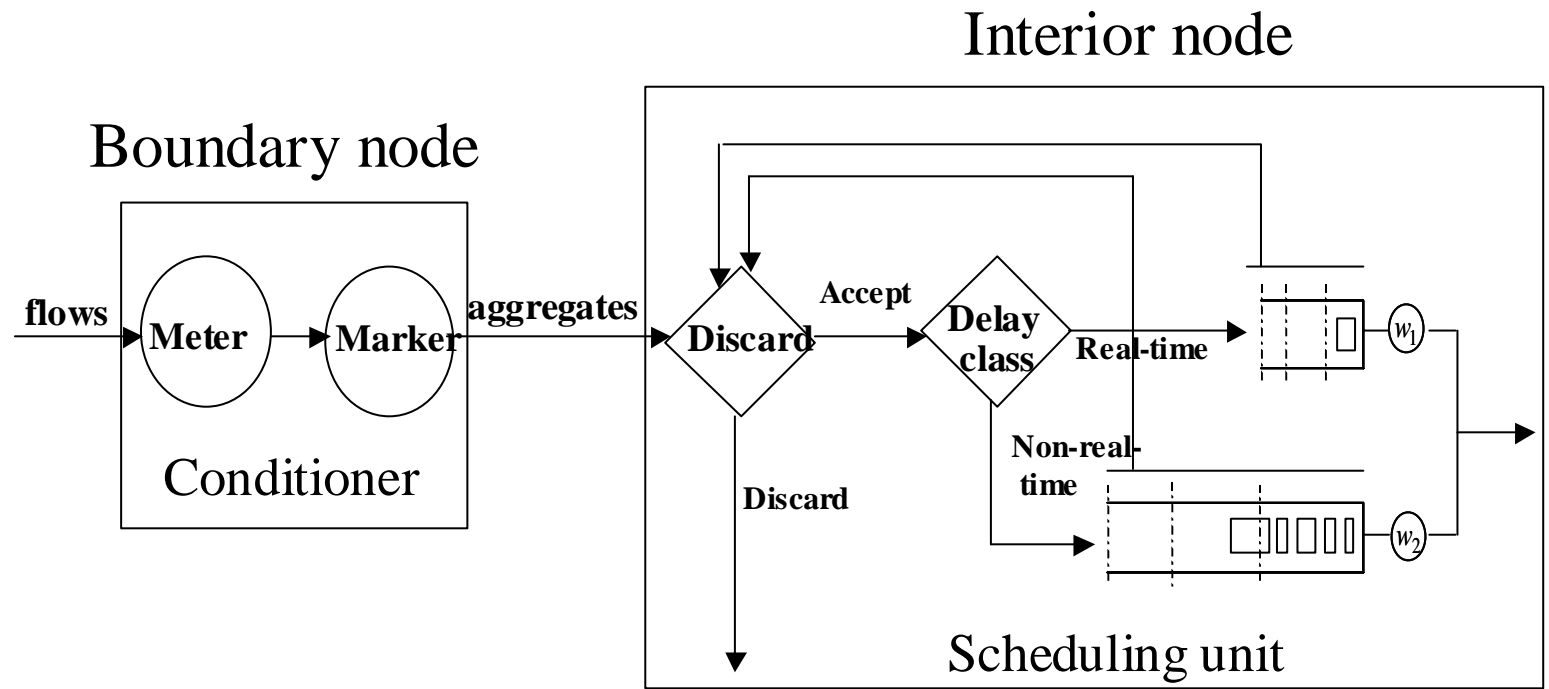
- **Weighted fair queuing**
  - FIFO, 2 buffers
  - **Weights:**
  - $w_1 < 1, w_2 > 0, w_1 + w_2 = 1$





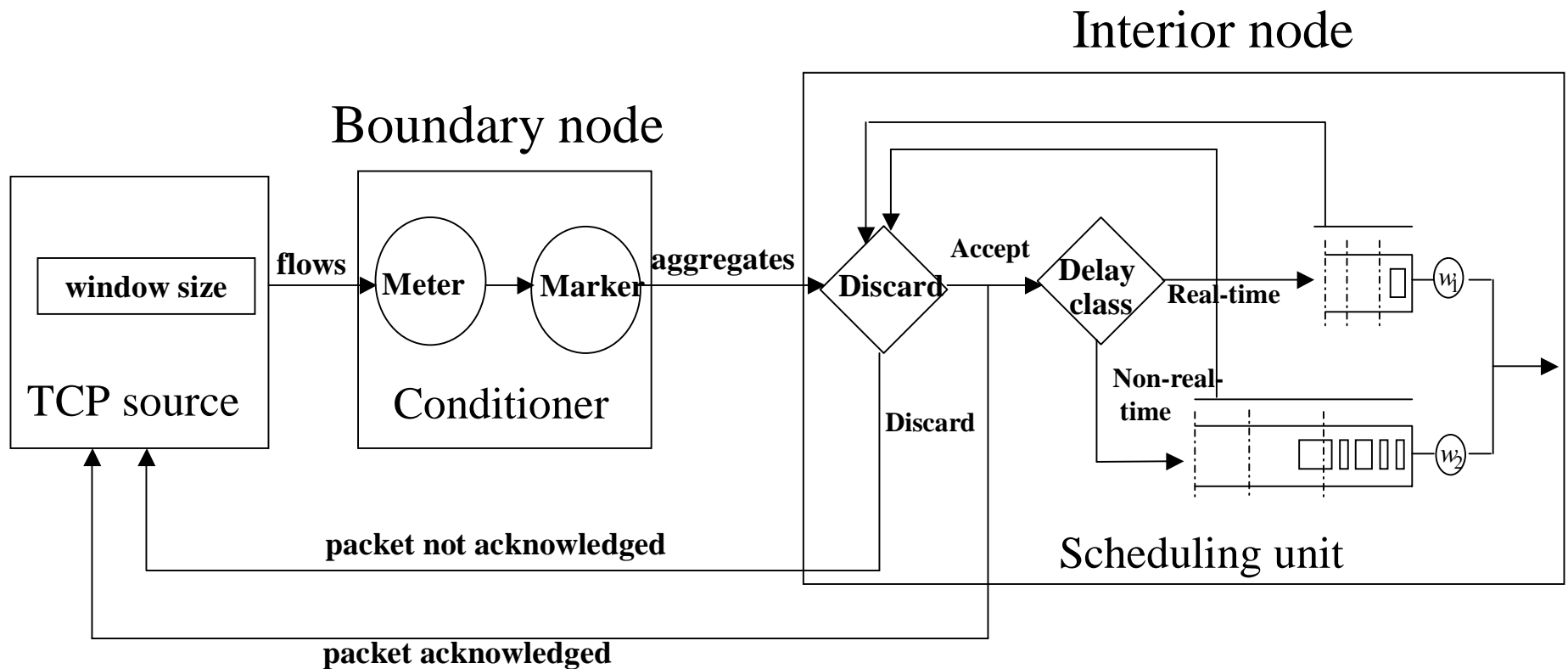


# DiffServ mechanisms





# End-to-end view



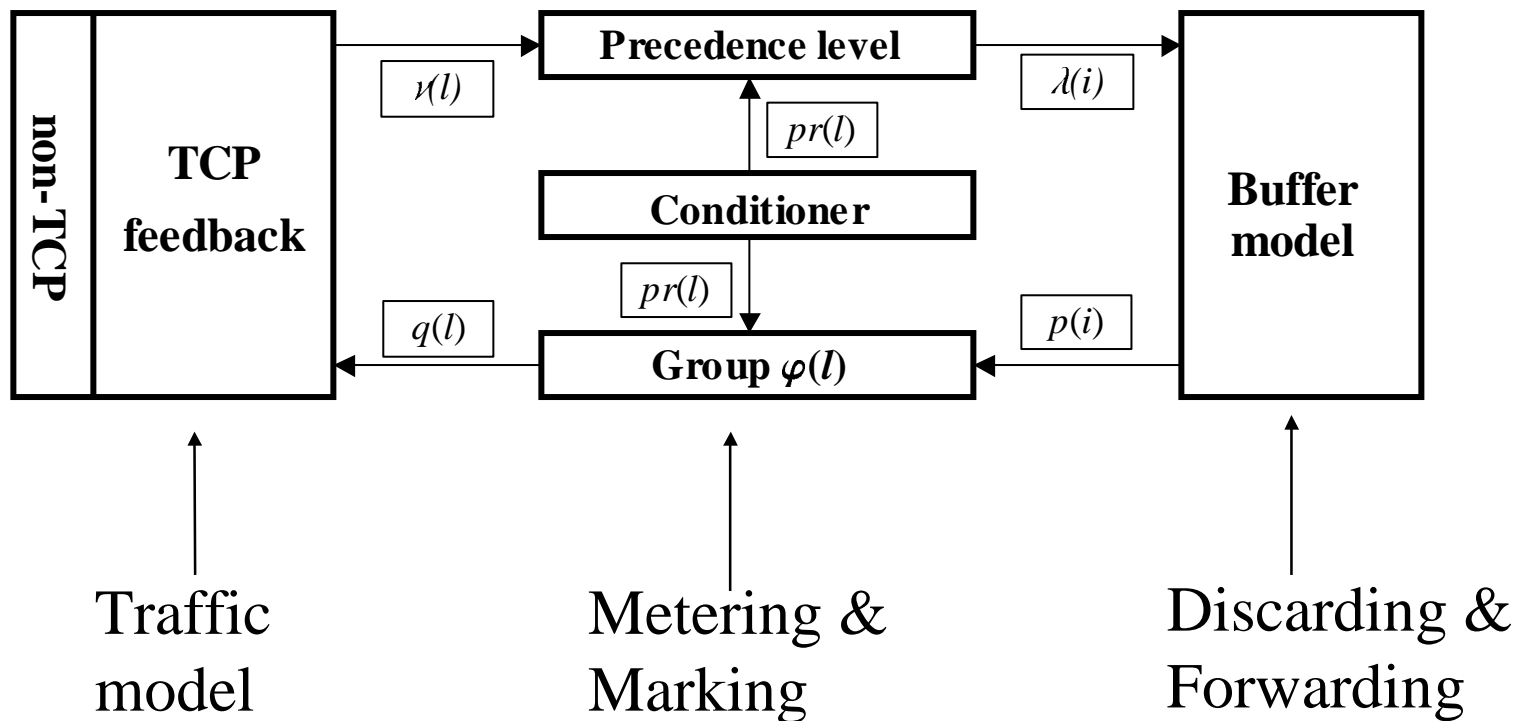


# Simulation results

- Marking and metering flows to  $I$  priorities
  - with  $I-1$  cascaded token buckets can be modeled as *per packet* marking
    - only those packets exceeding a predefined threshold are marked to lower priority.
  - EWMA principle in measuring the bit rate is able to capture the flow rate and the resulting marking is *per flow*
    - all packets of the flow are marked to the same precedence level when the measured bit rate of a flow exceeds the predefined threshold.
- Time parameters  $\alpha$  and  $c$  have to be on time scale of RTT,
  - for differentiation to occur.



# Analytical Model





# Analytical model

## fixed point approach



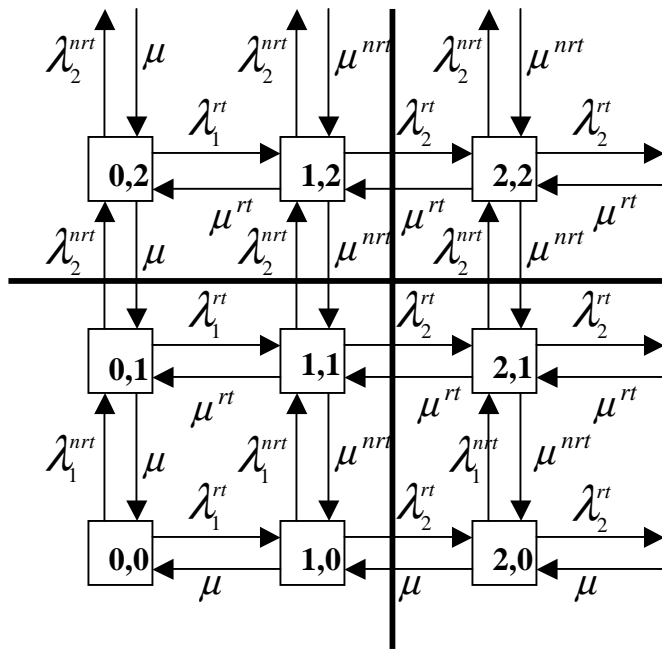


# Buffer model

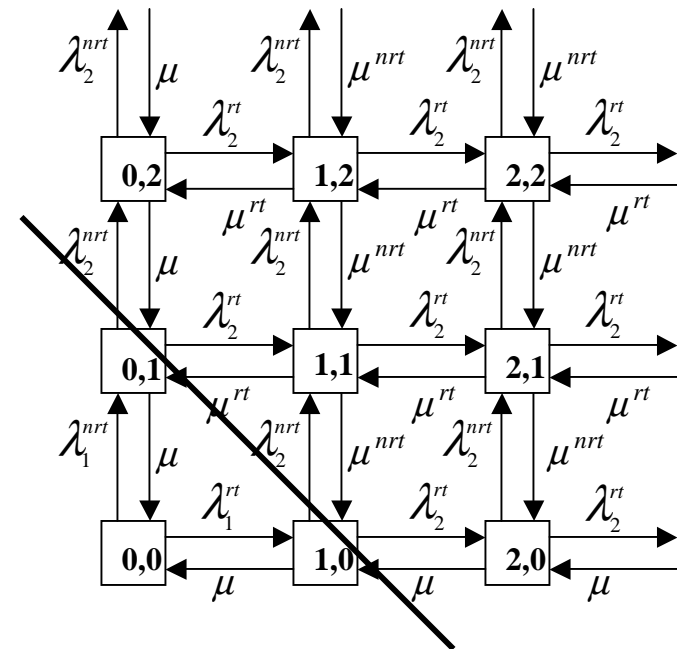
- Two buffers
  - one for each delay class:  $rt$  and  $nrt$
  - Poisson arrivals
  - discarding: state dependent arrivals
  - minimum weights in dividing capacity between buffers
  - If holding times exponentially distributed
    - steady state probabilities  $\pi_{j,k}$  solved numerically
    - $p^{nrt}(i)$  and  $p^{rt}(i)$  numerically



# Two buffer model



independent discarding



dependent discarding



# Analytical model

## fixed point approach







# TCP feedback model

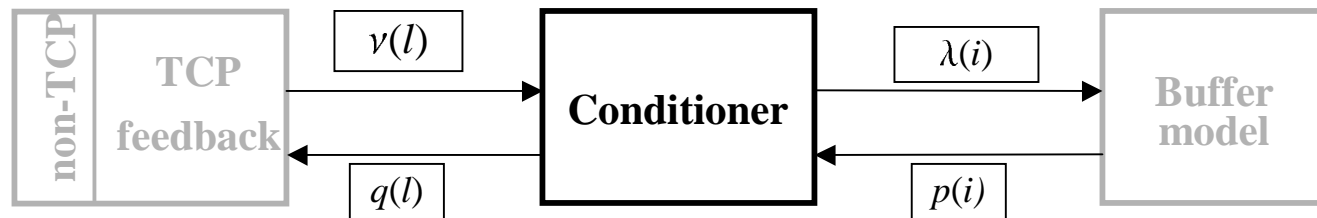
- large delay bandwidth product
- Congestion avoidance
  - Equilibrium rate for flow in group  $l \in \mathcal{L}^{nrt}$

$$v(l) = \frac{1}{RTT} \sqrt{2 \frac{1-q(l)}{q(l)}}, l \in \mathcal{L}^{nrt}$$



# Analytical model

## fixed point approach





# Conditioner model

- Priority of user

- Each flow in group  $l$  has packet arrival intensity  $v(l)$

- priority

$$pr(l) = \max \left[ \min \left[ \left[ I / 2 + 0.5 - \frac{\ln(v(l)/\varphi(l))}{\ln(2)} \right], 1 \right], I \right]$$

- Thresholds for marking to priority level  $i$  are

$$t(l, 0) = \infty$$

$$t(l, i) = \varphi(l) \cdot 2^{I/2 - i - 0.5}, i = 1, \dots, I - 1$$

$$t(l, I) = 0$$



# Conditioner model

- Aggregate arrival intensities for priority class  $i$ 
  - per flow marking

$$\lambda^m(i) = \sum_{l \in \mathcal{L}^m : pr(l)=i} n_l v(l)$$

$$m = rt \text{ or } nrt$$

- per packet marking

$$\lambda^m(i) = \sum_{l \in \mathcal{L}^m : pr(l) \leq i} n_l [\min(v(l), t(l, i-1)) - \min(v(l), t(l, i))] ]$$



# Conditioner model

- Flows according to group  $l$  instead of priority class
- Loss probability experienced by flows in group  $l$   $q(l)$ 
  - per flow marking

$$q(l) = p^m(pr(l)), l \in \mathcal{L}^m$$

$$m = rt \text{ or } nrt$$

- per packet marking

$$q(l) = \sum_{j=1}^I p^m(j) \left[ \frac{\min(v(l), t(l, j-1)) - \min(v(l), t(l, j))}{v(l)} \right], l \in \mathcal{L}^m$$



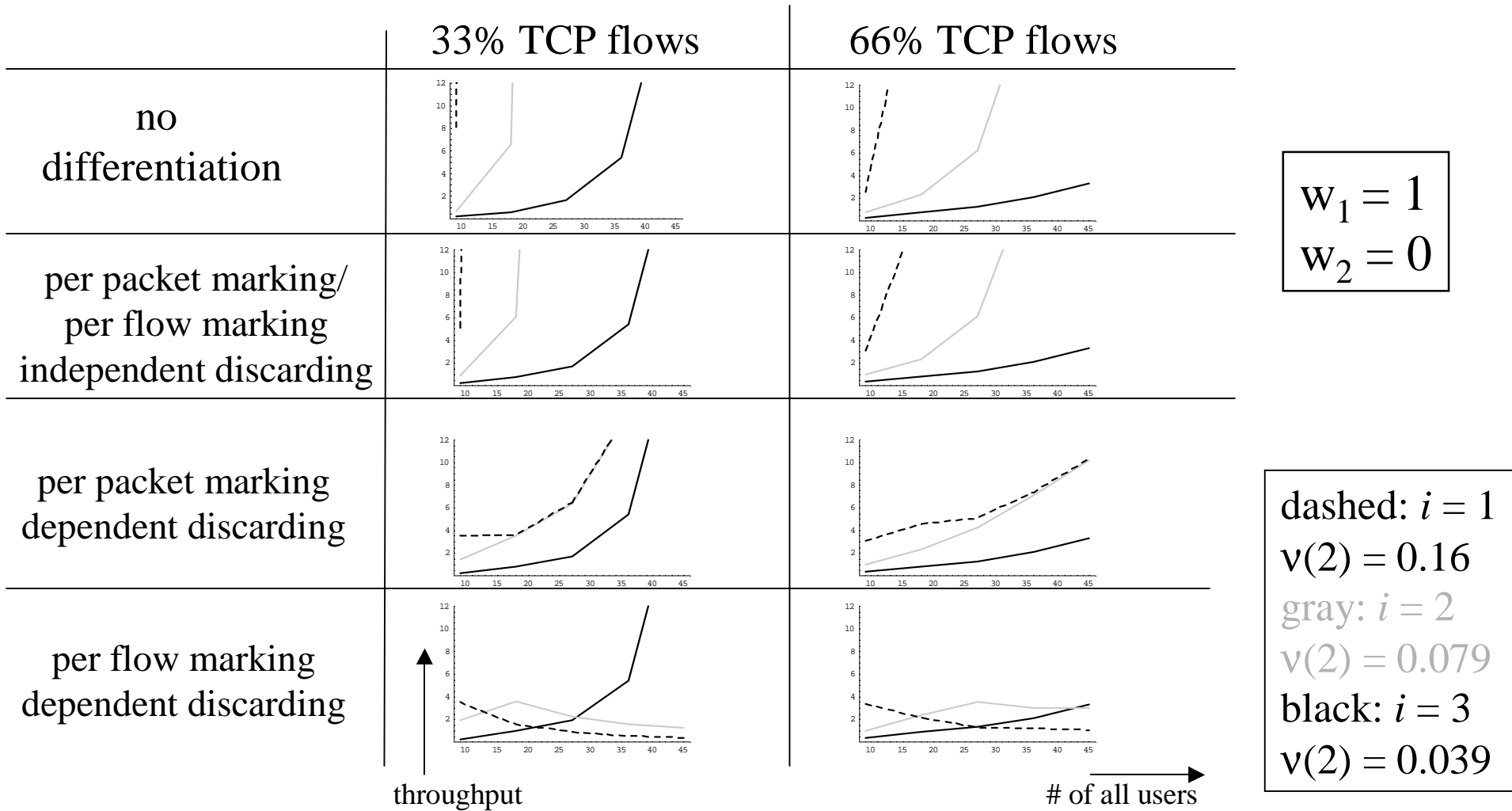
# Numerical results

- Results for the two buffer case ( $\mu = 1$ )
- Two user groups  $L = 2$ 
  - with different NBRs (0.04, 0.08)
  - group  $l = 1$ , send elastic TCP flows
  - group  $l = 2$ , send streaming non-TCP flows
- Three priority levels  $I = 3$

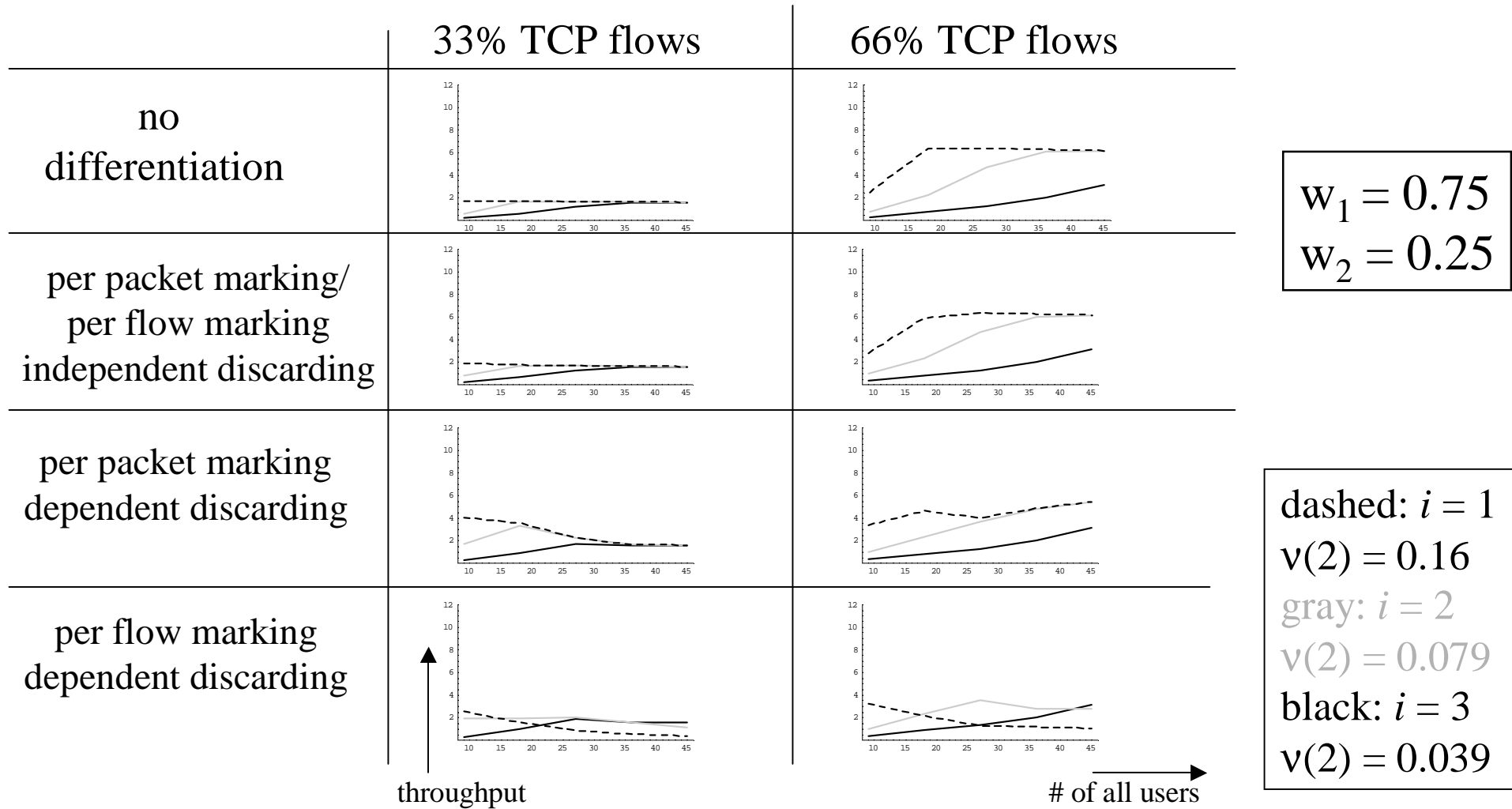


# Throughputs

- $RTT = 1000/\mu$ ,  $K_{nrt} = 39$ ,  $K_{rt} = 13$
- Ratio  $[v(2)(1-q(2))]/[v(1)(1-q(1))]$   
between throughputs









# Conclusions

- Independent discarding
  - Regardless of marking same as no differentiation
- Dependent discarding + per flow marking = SIMA
  - Gives incentive for ALL flows to adjust sending rate according to the state of the network
  - Promotes TCP friendliness
- Weights
  - Give some upper bound to ratio of bandwidth
  - But not according to ratio of weights